

Figure 1. Diagram of Rotating Machine (electrical motor)<sup>1</sup>

An electrical motor or rotating machine usually consists of parts such as motor, stator, bearing, shaft, impeller/blade, etc. Fault condition of machine is typically caused by a failure from one or more components. Types of some fault condition typically occur in machine operation are:

- Unbalance, this is the most common failure because of uneven or unbalance mass at the rotor or rotating part as the centre of rotation.
- Misalignment, this due to asymmetry of shaft when aligning two or more machines shaft to be coupled to be an integrated machine.
- Bearing Fault, it can be caused by failure of ball bearing, inner race, outer race, ball cage or bearing house.

These fault conditions can be characterized by analyzing many parameters. In this research, sound pattern analysis using Independent Component Analysis and Instantaneous Frequency (IF) were used as a diagnosis tool.

### B. Independent Component Analysis (ICA)

Independent events occur when an event does not have any relation with another event. This statistical property is stronger than uncorrelated. Mathematically, probability function of those events can be formulated as follows,

$$p(y_1, y_2) = p(y_1) \cdot p(y_2) \quad \dots(1)$$

The probability functions of those events are the multiplication of each other. Lets define  $x_j$  is measured signal by  $i$ -th sensor. The  $s_i$  are the multiple sources that statistically independent. The measured signal can be expressed using the following equation,

$$x_j = a_{j1}s_1 + a_{j2}s_2 + \dots + a_{jn}s_n \quad \dots(2)$$

$x_j$  symbolizes mixed signal from sources. The mixing matrix  $a_i$  is not known before, as well as the source  $s_i$ . The task of ICA is to find out the estimation signal  $y$  from unknown mixing process.

Problem in ICA is to determine separation filter,  $W$ , where  $W=A^{-1}$ . The more ideal separating filter, the better estimation signal we get. The mixing and problem formulation of ICA can be illustrated in fig.2 below.

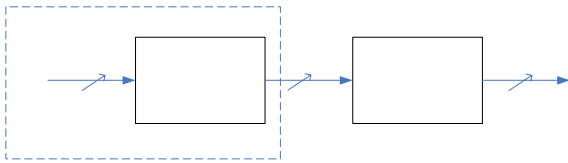


Figure 2. ICA Process

From the picture and as explained before, ICA can be modeled as follows,

$$\mathbf{x} = \mathbf{A}\mathbf{s} \quad \dots(3a) \quad \text{and} \quad \mathbf{y} = \mathbf{W}\mathbf{x} \quad \dots(3b)$$

Estimation signal from the mixture can be obtained if we have a separating filter  $W$ . To determine this separating filter they are many choices depend on algorithm and methods. Amari, Chiockoy and Yang [6] used natural gradient algorithm

to reach ideal separation filter  $W$ . The weighting factor of separation filter expressed as follows,

$$\begin{aligned} W_{k+1} &= W_k - \mu \frac{\partial \mathbf{J}(W_k)}{\partial W} W_k^T W_k \\ &= W_k + \mu \left[ I - f(\mathbf{u}_k) \mathbf{u}_k^T \right] W_k \end{aligned} \quad \dots(4)$$

The algorithm approached ICA by information maximization of mutual information. In eq.(4),  $\mu$  is a positive learning rate of  $f(u)=[f(u1), f(u2), \dots, f(un)]$ , where  $f(u)$  is derivative of sigmoid function and  $u=Wx$  is a function before non-linearity.

Hyvarinen *et. all* introduced FastICA approach from fixed-point iteration of weighting factor [9]. The algorithm is based on non-gaussianity and negentropy of the input signal. The algorithm can be formulation as below,

$$\begin{aligned} \mathbf{w}^+ &= \mathbf{w} - \frac{E\{\mathbf{x}g(\mathbf{w}^T\mathbf{x})\} - \beta\mathbf{w}}{E\{g'(\mathbf{w}^T\mathbf{x})\} - \beta} \\ &= E\{\mathbf{x}g(\mathbf{w}^T\mathbf{x})\} - E\{g'(\mathbf{w}^T\mathbf{x})\}\mathbf{w} \end{aligned} \quad \dots(5)$$

Where  $g$  is the derivation of contrast function as approach non-gaussianity. FastICA algorithm may converge faster than those of other algorithms, but assumption of source is the main factor to choose the best algorithm. There are many algorithm in ICA that can be used depend on characteristic of the signal, the assumption and a prior knowledge of sources.

### C. Instantaneous Frequency (IF)

Instantaneous frequency (is) is defined as derivative of phase with respect to time. The value of IF can be approached from two ways, analytic signal and short time Fourier transform (STFT). Windowed or STFT of signal  $x(t)$  can be formulated as follows,

$$STFT_s(\omega, t) = \int_{-\infty}^{\infty} w(\tau - t) x(\tau) e^{-j\omega\tau} d\tau \quad \dots(6)$$

Using derivative phase of that signal to time, instantaneous can be obtained by,

$$\frac{\partial}{\partial t} X(\omega, t) = \int_{-\infty}^{\infty} -w'(\tau - t) e^{-j\omega\tau} x(\tau) d\tau \quad \dots(7)$$

where  $w'(t)$  is a derivation of window function to time. The IF calculation can be seen in fig. 3 (right panel), shown IF from amplitude spectrum. IF technique accommodates the weakness of spectrogram from STFT, which Heisenberg uncertainty occurs between time and frequency resolution. The higher frequency resolution we set, the lower time resolution we get and vice versa. The IF, however, can be used to determine exactly both time and frequency at the same time without suffering time-frequency resolution trade-off.

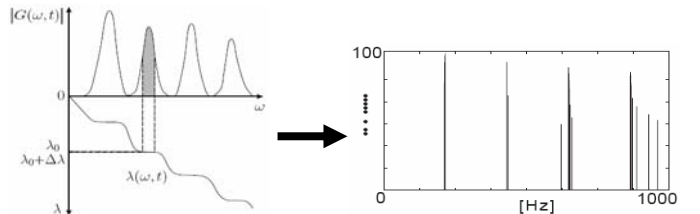


figure 3. IF Amplitude Spectrum<sup>[7]</sup>

### III. EXPERIMENTAL SET-UP

We developed microphone array as the sensor. The sensor itself consists of 4 equally spaced microphones to avoid spatial aliasing. These microphones are connected to 24-bit, four-channel M-Audio PCI soundcard for simultaneous data acquisition. Fig. 4 and fig. 5 show the 3-source-3-sensor configuration used in this research. We also implemented 2-sensor-2-source and 4-sensor-4-source experimental set-ups to investigate the performance of the algorithm when the system is scaled up.

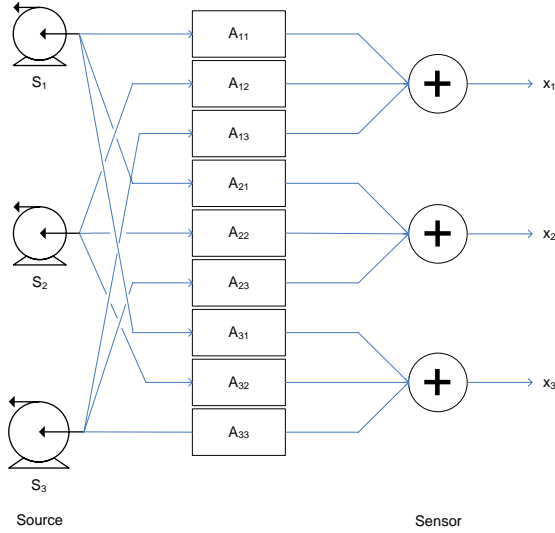


Figure 4. ICA model for 3 source – 3 sensor

The hardware configuration and simulation were shown in fig.5. First, we measured each individual motor whose condition is normal, misaligned, unbalanced and ball bearing failure to obtain baseline data. This step was necessary for result validation. Starting from 2-2-configuration, we set one normal machine and the other was abnormal, then abnormal-abnormal pair until all these four machines ran simultaneously.

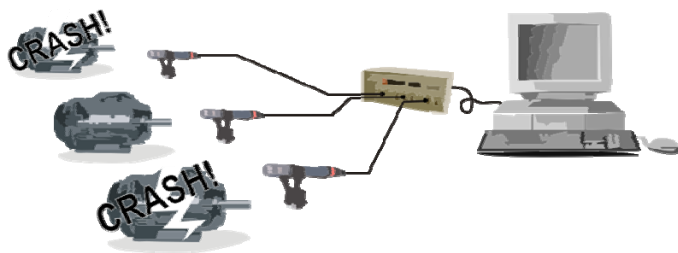


Figure 5 Hardware Configuration of ICA Model

After off-line separation, we obtained estimated separated signals from the mixture that represents number of motors with different conditions. The estimated signal was then estimated its fundamental frequency using instantaneous frequency to determine each machine condition. These steps are shown in fig.6.

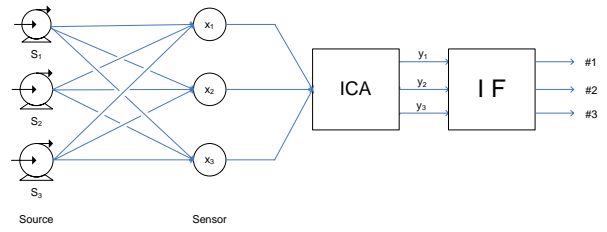


Figure 6. Global System

#### IV. RESULTS

The first data processed in this research are baseline data as a control. The baseline data come from single-channel recording of each machine condition: normal, unbalance, misalignment and bearing fault. The spectrogram of baseline data that shows machine sound characteristic in time, frequency and amplitude are depicted in figure 7 below. The x-axis is time, y-axis is frequency and z-axis is amplitude. The color of spectrogram also represents sound pressure level in each time and frequency. The red color indicates a high frequency and the yellow is low frequency. The spectrogram plot comes from equation of STFT as in (6).

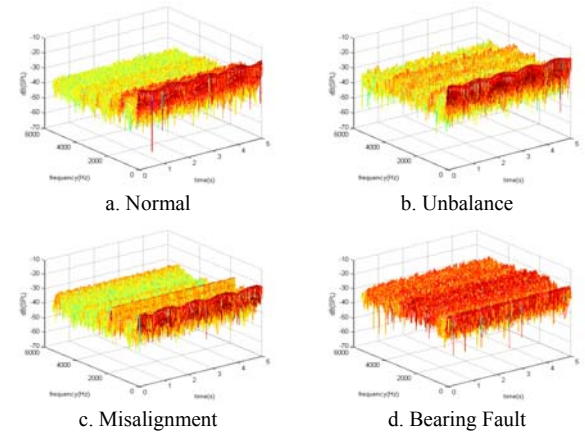
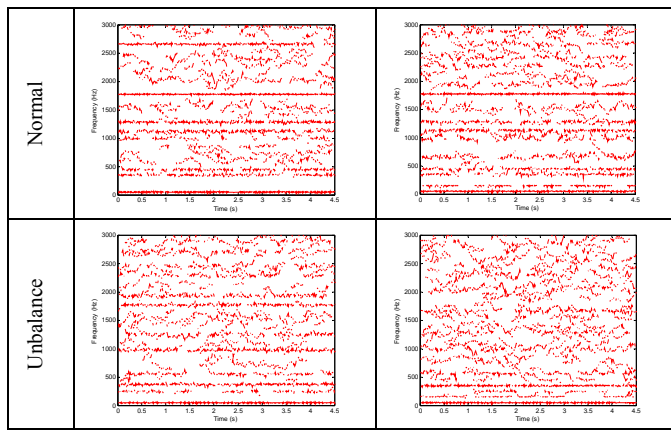


Figure 7. Spectrogram of Source Signal

From fig.7(a), it can be clearly seen that on the normal condition the machine emits low frequency. The red color dominated in low frequency region and yellow in the upper frequency region. In this case, the normal machine has frequency at 51 Hz, between 1000-1300 Hz, 1770 Hz. Fig.7 (b) is spectrogram of unbalance machine. It shows that there are increment frequency around centre of the spectrogram (more red color exists). The unbalance machine in this case has fundamental frequency at normal plus 1990 Hz. Also the amplitude increase at frequency 1000 Hz and 1770 Hz.

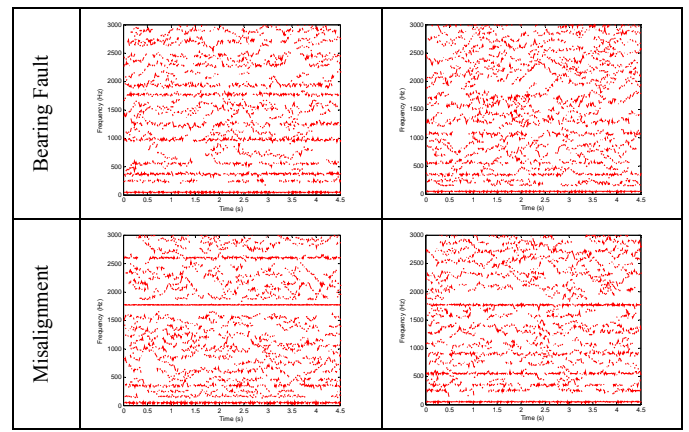
Fig.7(c) shows misalignment condition. The red color appear at high frequency, as well as at the centre frequency. In this condition the fundamental frequency were increased at plus 2500, 3400, 5100 and 5300 Hz. Fig.7(d) depicts bearing fault. The red color dominated at the all frequency that indicated the amplitude increase near to all frequency. The highest amplitude at this case also from instantaneous frequency information give fundamental frequency at 73 Hz, 250 Hz dan 350 Hz.



a. Source Signal b. Estimate Signal  
Figure 8. Source and Estimated Signal of Normal and Unbalance

The second data is mixing machine sound to be separated using ICA methods. Each microphone will receive different signal intensity depending on distance and angle from motor to microphone. This difference use to separate signal from each source by statistically independent between each source. As an example, three motor condition: normal, unbalance and misalignment working together and the machine sounds captured by three microphone. First microphone closed to normal motor will receive normal motor signal stronger than other, but it mixed with unbalance and misalignment signal. It also happens on second and third microphone. The task of ICA is got the origin signal: normal, unbalance and misalignment from mixed signal at each microphone. The result of estimated signal analyzed by Instantaneous frequency, from in (7), to find similarity between estimated signal and source signal. Estimated signal of normal condition and unbalance condition by instantaneous diagram can be seen in figure 8.

It can be seen from figure above that estimated signal from both normal and unbalance condition very similar to the original source signal. On normal estimation signal, they are increasing fundamental frequency around 3500 Hz, the mixing signal known not yet separate clearly. The adding frequency maybe come from misalignment signal which have that frequency. On second figure, the estimated of unbalance signal also very similar and the amplifying occur at 1770 and 1990 Hz, it can caused by signal that have some same frequency with unbalance condition i.e normal condition. The next figure are from others condition, misalignment and bearing fault condition. The instantaneous frequency pattern of both signal from source and estimated can be seen from figure 9. The bearing fault condition was obtained by breaking the ball cage of bearing. This treatment caused bearing home loose and ball bearing can move generously than before. The estimated signal got not as well as got before. The sound pattern of estimated signal blurred so it can identify signal clearly. But more detailed, the lowest frequency still can be viewed. Because all of condition have fundamental frequency at low frequency so it too difficult to diagnosis that condition in real world application later.



a. Source Signal b. Estimate Signal  
Figure 9. Source and Estimated Signal of Bearing Fault and Misalignment

The last figure come from misalignment condition. The estimated signal shows better than before, it seems that estimated signal similarity again with source signal. But some fundamental frequency attenuated due to separation process. The fundamental frequency at 2500 Hz and 3400 Hz lost in estimated signal. At high frequency, 5100 and 5300 Hz still can be viewed although not as clear as source signal. Generally, the estimated signal still can be identify as misalignment condition.

The separation process in this research have done by ICA method in time domain. The algorithm used is natural gradient from Amari, Chihochky and Yang [2]. The result of separation process can says good for early research. Attenuation and amplifying occurred in estimated signal so the signal can be separated perfectly. In the signal processing field, separation methods to solve blind source separation problem still establishing until now. ICA is one popular to solve BSS and they are many algorithm in ICA. The separation process of machine sound can followed the ICA development. Certain algorithm maybe usefull for machine sounds separation, and instantaneous frequency proven effective to identify signal than time domain signal. The IF technique also effective as diagnosis tools of fault condition that accomodate Heissenberg's uncertainty shows in spectrogram.

#### IV. CONCLUSIONS

According to the result of this research on machinery fault diagnosis using ICA and IF, it can be concluded as:

1. Machinery sounds can be separated by independent component analysis (ICA) using assumption that each machine statistically independent with the others.
2. Machinery fault diagnosis can be obtained by sound pattern analysis using instantaneous frequency to determine fundamental frequency each condition. In this research, normal motor condition have frequency at 51 Hz, between 1000-1300 Hz, 1770 Hz and 2650 Hz, unbalance at 46 Hz, 1000 Hz, 1770 Hz and 1990 Hz, misalignment at normal frequency plus 3400 Hz, 5100 and 5300 Hz. The last, bearing fault at 73 Hz, 250 Hz dan 350 Hz.

3. The estimated signals as a result of separation process have similarity with source signal, but it was attenuated and amplified in term of frequency on the estimated signal. In some cases, it causes difficulties on identifying the signal estimates.

The on-going research is we are implementing and evaluating the other algorithm such as time-frequency analysis based on instantaneous frequency without ICA for direct separation. We investigate of using less sensors compared to the sources which is more complex due to the size of the mixture matrix. The goal of this work is a remote machine monitoring system for a real plant application.

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